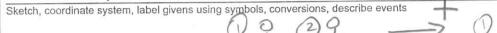
SPH3U: Problem Solving

A: Problem Solving Example

We can build a deep understanding of physics by describing and representing a problem in many different ways. An example will be be shown to the following question:

A runner passes two markers on a track, one of which is 60.0 m from her starting point, the other 80.0 m. If she is running at 9.7 m/s [East] along the track, how long did it take for her to cover this distance?

A: Pictorial Representation



B: Word Representation

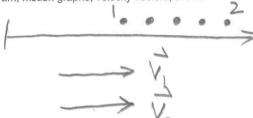
Describe motion (no numbers), assumptions

steady speed

direction [E]

C: Physics Representation

Motion diagram, motion graphs, velocity vectors, events



D: Mathematical Representation

Number and describe steps, complete equations, substitutions with units, final statement with units, direction and significant digits

1. Displacement
$$\Delta \vec{x} = \vec{\chi}_2 - \vec{\chi}_1$$

$$= 60.0 - 60.0$$
 $1 \times = 20.0 \text{ m}$

Explain. Is the athlete in this problem running in the positive or negative direction? In how many ways is this shown in the solution?

st=2.065

Explain. In the word description, it is assumed that the runner travels at constant velocity. Find all the examples in the solution that show the runner travelling at constant velocity.

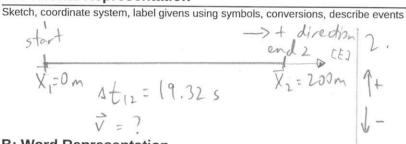
B: Problems Unsolved

Use the new process to solve the following problems. To conserve paper, some people divide each page down the centre and do two problems on one page.

Usain Bolt ran the 200 m sprint at the 2012 Olympics in London in 19.32 s. Assuming he was moving with a constant velocity, what is his speed in km/h during the race? (37.3 km/h)

In February 2013, a meteorite streaked through the sky over Russia. A fragment broke off and fell downwards towards Earth with a speed of 12 000 km/h. The fragment was first spotted just as it entered our atmosphere at a position of 127 km above Earth. What was its position above Earth 10.0 seconds later?

A: Pictorial Representation



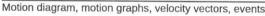
x = 127 km V =- 12000 km/h 16=10s V2=-12000 km/h

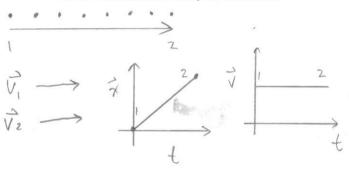
B: Word Representation

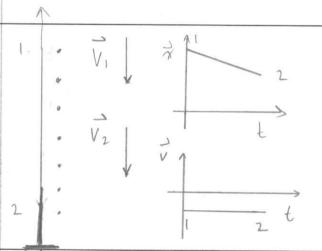
Describe motion (no numb	ers), assumptions	
running along velocity	track at	constant
	track at	wistant

- meteorite falling downwards (negative constant velocity

C: Physics Representation







D: Mathematical Representation

Number and describe steps, complete equations, substitutions with units, final statement with units, direction and significant digits

$$\Delta x_{12} = 200 \text{ m}$$
 $\Delta t = 19,32 \text{ s}$
Find velocity
 $\vec{N} = \Delta x_{12} = 200 \text{ m} = 10,35 \text{ m/s}$
convert to km/h

Convert time to h $\Delta t = 10 \cdot s \left(\frac{1 \cdot h'}{3600 \cdot s} \right) = 0.0027 \cdot h$

(-12000)(0.0027) = AX 193,7 = AX = -33.3 Km/ Km

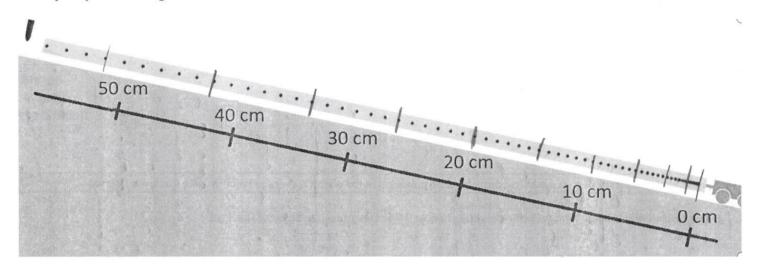
 $= 0.01035 \frac{km}{s} \left(\frac{3600522}{1 h^{1}} \right) -12000 = \frac{\Delta x}{0.0027}$ $= 37.3 \frac{km}{1}$

SPH3U: Changing Velocity

A: Motion with Changing Velocity

Vour teacher will show you a demonstration of a cart rolling down an inclined plane, pulling a tickertape through a tickertape timer.

- 1. **Find a Pattern.** From the **first dot** on the tickertape below, draw lines that divide the dot pattern into intervals of six *spaces* as shown here. Do this for 10 intervals.
- 2. **Reason.** The timer is constructed so that it hits the tape 60 times every second. How much time does each six-space interval take? Explain your reasoning.



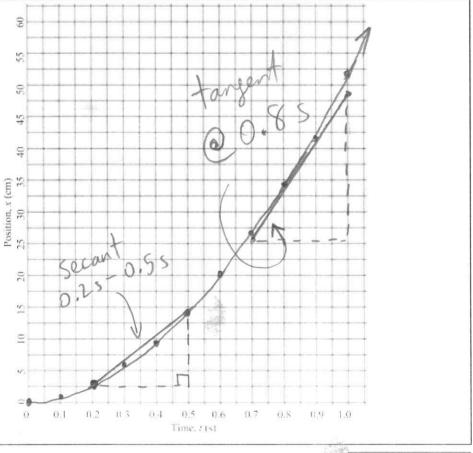
3. Measure. Collect a set of position/time data from the tickertape. Each position measurement should start from the first mark: "0".

Time, t (s)	Position, x (cm)		
0	0		
0.1			
0.2	3		
0.3	Ь		
0.4	19		
0.5	14		
0.6	20		
0.7	27		
0.8	34		
0.9	42		
1.0	52		

4. **Find a Pattern.** Plot the data in a graph of position vs. time. What general shape do the data make?

curve - quadratio?

5. **Represent**. Draw a smooth curve through the data points. You do not have to actually connect the dots.



a) from the ticker tape?	b) from the table of v	alues?	c) from the position-	-time graph?
position values go up	distance 6	etween.	1 ic complet	
a) from the ticker tape? position values go yo by bigger amounts	> points in	creases.	, curve	(
7. Draw & Calculate . Draw a secant line at 0.5 s, and then determine the slope	ne on your graph connection of that line.	ing the position at 0.2 s	with the position	tangent line
rise = 14-3 =	II cm	M= 11cm=31	6.7 cm/s	(touches 1 pt only)
run = 0,5-0.	2=0.3 s	g/35		XI .
8. Interpret. What does the slope of this	s secant line represent in	this case?		secan
The velocity (av	0	Ween		line (joins 2 pts
0.2 and 0.5	5.			7
The slope of the secant line on a curv	ing position-time graph g	ives the object's average	re velocity over that t	ime interval
*				
9. Draw & Calculate. Draw a tangent 1		- //		
(1.0,48) m	= 48-26	LL cm of	77.7	ru/e
(0.7,26)	(,0-0,7	0,35	, , , ,	0 1/ 3
10. Interpret. What does the slope of thi	s tangent line represent ir	this case?		
The velocity of			*	
Cinstantane	ous)	V		
The slope of the tangent to a curving position	tion-time graph give the c	object's instantaneous v	elocity)	
				*
11. Reason. Is it possible for the averag	re velocity over a given	12. Reason. A studen	nt claims that during	any time interval
interval to be the same as the instant	taneous velocity at some	The state of the s	instantaneous velocit	
specific time during that interval? C help explain.	onsider a diagram to		city over that interval as to help explain.	. Do you agree?
You	1/		1	
(6)		1/	1	
Gslope of	7	1		
secant and slope	, F		1	
		1	- Seems	to be
tangent are fl	he same.	6	I true.	(an alway)
			draw ata	rgent with
	1	same slo	pe as	© C. Meyer, 2017
		Sela	ant.	

6. **Explain.** During the time interval from 0 to 1.0 seconds, how can you tell if the velocity is changing:

SPH3U: The Idea of Acceleration

A: The Idea of Acceleration

Interpretations are powerful tools for making calculations. Please answer the following questions by thinking and explaining your reasoning to your group, rather than by plugging into equations. Consider the situation described below:

A car was traveling with a constant velocity 20 km/h. The driver presses the gas pedal and the car begins to speed up at a steady rate. The driver notices that it takes 3 seconds to speed up from 20 km/h to 50 km/h.

Reason. How fast is the car going 2 seconds after starting to speed up? Explain.

Every second the car gains to bom/h. So in 2 Seconds it gains 20 km/h. So velocity is 20+20=40 km/h

2. Reason. How much time does it take to go from 20 km/h to 80 km/h? Explain.

seconds -> needs to gain 80-20=60 km/h, and gains 10 bom/h every second.

Interpret. A student who is studying this motion subtracts 50 - 20, obtaining 30. How would you interpret the number 30? What are its units?

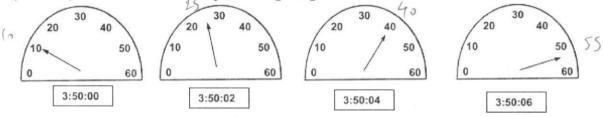
30 km/h - this is the increase in speed between beginning and end of increase

Interpret. Next, the student divides 30 by 3 to get 10. How would you interpret the number 10? (Warning: don't use the word acceleration, instead explain what the 10 describes a change in. What are the units?)

30 km/h = 10 km/h per second. Every second the speed increases by 10 km/h

B: Watch Your Speed!

Shown below are a series of images of a speedometer in a car showing speeds in km/h. Along with each is a clock showing the time (hh:mm:ss). Use these to answer the questions regarding the car's motion.



1. **Reason.** What type of velocity (or speed) is shown on a speedometer – average or instantaneous? Explain.

Instantaneous - a speedomoke only shows speed the car is currently travelling.

2. Explain. Is the car speeding up or slowing down? Is the change in speed steady?

Speeding up steadily - gaining 15 km/h every 2 seconds. Adapted from Sense-Making Tutorials, University of Maryland Physics Education Group every second

3.	Explain and Calculate. Explain how you could find the acceleration of the car. Calculate this value and write the units as
	(km/h)/s. Divide the change in velocity DV by the
	livide the change in velocity SV by the change in time st \a = \frac{\sir}{a} = \frac{\sir}{a} \frac{\km/h}{a}
4.	Interpret. Marie exclaims, "In our previous result, why are there two different time units: hours and seconds? This is strange!" Explain to the student the significance of the hours unit and the seconds unit. The brackets provide a hint.
	Hours unit is grouped with km as km/h, representing velocity
-	Seconds und shows how much is changing every second.
	Interpreting Velocity Graphs
	the right is the velocity versus time graph for a particular ect. Two moments, 1 and 2, are indicated on the graph.
1.	Interpret. What does the graph tell us about the object at
V	Coment 1: at 35, velocity is on/s = 10
Mo	moments 1 and 2? (oment 1: at 35, velocity is $\delta m/s = 10$ ment 3: at 75, velocity is $12 = 5$
	Interpret. Give an interpretation of the interval labelled What symbol should be used to represent this?
5	the interval between 3 s and 7s. 0
	time 12 3 4 5 6 7 8 9 10 Time (seconds)
3.	Interpret. Give an interpretation of the interval labelled d. What symbol should be used to represent this?
111	s the change in velocity that occurs between
21.7. 4	moments I and 2.
4.	Interpret. Give an interpretation of the ratio d/c. How is this related to our discussion in part A? Change in velocity of white the second s
	change in time }
5.	Calculate. Calculate the ratio d/c including units. Write the units in a similar way to question B#3.
	DV = d = 12 - 8 = 4m/s = 4 m/s = 1 m/s
	st=c=7-3=4s
6.	Explain. Use your grade 8 knowledge of fractions to explain how the units of (m/s)/s are simplified.
	$(m/s)/s = \frac{m}{5} \cdot 5 = \frac{m}{5} \times \frac{1}{5} = \frac{m}{5^2}$
	15

1+